

Problem 8.11 from text

- ◆ The normal boiling point of iodomethane, CH_3I , is 42.43°C and its vapor pressure at 0°C is 140 torr. Calculate
- (a) standard enthalpy of vaporization ($\Delta H^\circ_{\text{vap}}$) of iodomethane
 - (b) standard entropy of vaporization ($\Delta S^\circ_{\text{vap}}$) of iodomethane
 - (c) the vapor pressure of CH_3I at 25°C

Solution to problem 8.11

- (a) The data given in the problem actually supplies the vapor pressure of at two temperatures (0 and 42.43°C , or 273.15 and 315.58 K), so the easiest equation to use is:
- $$\ln(P_2/P_1) \approx -(\Delta H^\circ/R)(1/T_2 - 1/T_1)$$

$$\ln \frac{760}{140} = \frac{\Delta H^\circ_{\text{vap}}}{8.314 \text{ J mol}^{-1}\text{K}^{-1}} \times \left(\frac{1}{315.58 \text{ K}} - \frac{1}{273.15 \text{ K}} \right)$$
$$\Delta H^\circ_{\text{vap}} = +28.6 \text{ kJ mol}^{-1}$$

Solution to problem 8.11 cont.

- (b) Now we can use the basic expression $\Delta G^\circ = \Delta H^\circ - T\Delta S^\circ$ to solve for ΔS° . Since ΔG at boiling point is zero,
- $$\Delta S^\circ_{\text{vap}} = (\Delta H^\circ_{\text{vap}}/T_b)$$

$$\Delta S^\circ_{\text{vap}} = \left(\frac{28600 \text{ J}}{315.58 \text{ K}} \right) = + 90.6 \text{ J K}^{-1}$$

Solution to problem 8.11

(c) Use again: $\ln(P_2/P_1) \approx -(\Delta H^\circ/R)(1/T_2 - 1/T_1)$

$$\ln \frac{P_{298\text{ K}}}{1\text{ atm}} = -\frac{28600\text{ J}}{8.314\text{ J mol}^{-1}\text{K}^{-1}} \times \left(\frac{1}{298.15\text{ K}} - \frac{1}{315.58\text{ K}} \right)$$

$$P_{298\text{ K}} = 0.529\text{ atm} = 402\text{ torr}$$

Sample Problem



limestone

lime

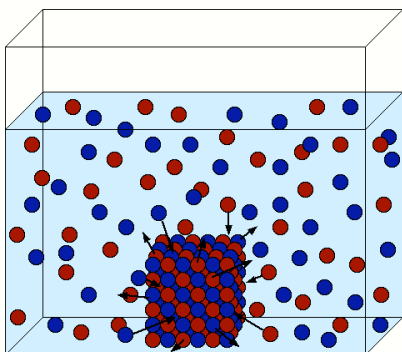
◆ Given:

$\Delta H^\circ = +178\text{ kJ}$; at 25°C , $K_P = 1.39 \times 10^{-23}$

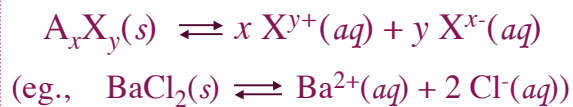
◆ Give an estimate for K_P at 800°C .

Solubility Equilibrium (Chap. 11)

The process is in equilibrium when rate of ions (or molecules) leaving the solid = rate returning to the solid. That is, when dissolution rate = precipitation rate



Solubility Product, K_{sp} (Sec. 11.10)



- ◆ What is the form for the equilibrium constant?

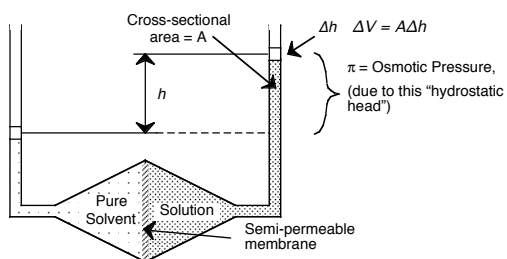
$$K_{eq} = \frac{\text{activities of products}}{\text{activities of reactants}} \quad (\text{at equilibrium})$$

- ◆ Write the equilibrium constant expression.

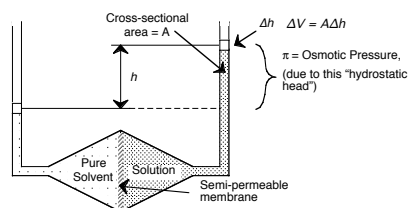
Colligative Properties

- ◆ Depend solely on relative numbers of solvent and solute molecules in solutions, not on their chemical identity.
- ◆ The specifics of intermolecular interactions are not important for determining these properties
- ◆ Typical examples:
 - Boiling point elevation and freezing point depression
 - Osmosis and osmotic pressure

Osmosis - The process



Osmotic Pressure



ρ = density of solvent \approx density of solution (if very dilute)
 $hA = V_{\text{solution}} - V_{\text{solvent}} = \text{Volume of "hydrostatic head"}$
 $\rho(V_{\text{solution}} - V_{\text{solvent}}) = \rho(hA)$
 $= \text{mass of solvent in the "hydrostatic head"}$
 $\pi = \text{Osmotic Pressure} = \text{Force/Area} = (\text{mass} \times g)/\text{Area}$
 $(g = \text{gravitational constant})$

$$\pi = \frac{[\rho(hA)] \times g}{A} = \rho hg$$

Osmosis

- ◆ Pure solvent "moves into" a solution when the solution and solvent are separated by a semipermeable membrane

- ◆ Why?

Entropy increases when solvent moves through the membrane into the solution because the solute molecules then have a greater volume to move in. (See sections 7.3 and 7.6).

Entropy change when solution volume increases by ΔV



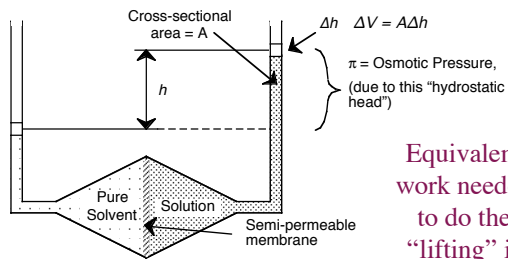
n moles of solute molecules expand into available solvent like a gas expands into a vacuum.

$$\Delta S = nR \ln[(V + \Delta V)/V] = nR \ln[1 + (\Delta V/V)]$$

$$\text{Since } V \gg \Delta V, \ln[1 + (\Delta V/V)] \approx \Delta V/V$$

$$\Delta S = nR(\Delta V/V) \Rightarrow T\Delta S = (nRT/V)\Delta V$$

The solvent in the ΔV element must be “lifted” by height h .



Equivalent work needed to do the “lifting” is $(\rho\Delta V)gh$.

Entropy Gain vs Enthalpy Cost

No more solvent will move from the pure solvent into the solution when ΔG for that process is no longer negative: $\Delta G = \Delta H - T\Delta S$

The enthalpy cost from “lifting” the solvent” in the volume element ΔV is: $\Delta H = (\rho\Delta V)gh$,

But $\pi = \rho gh$, $\therefore \Delta H = \pi\Delta V$

We already found $T\Delta S = (nRT/V)\Delta V$

So, when $\Delta G = 0$, $\pi = nRT/V$

Other Useful Forms

$$\pi = nRT/V = [^n/V]RT$$

$[^n/V]$ = moles solute per liter solution

If we know mass (grams) of solute per liter, c_m , then we transform to

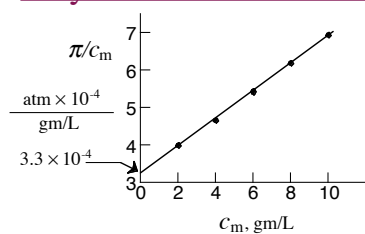
$$(\text{mol}/\text{L}) \sim (\text{g}/\text{L})(\text{mol}/\text{g})$$

$$[^n/V] = (c_m/M) \quad M = \text{molar mass ("mol. weight")}$$

$$\pi = (c_m/M)RT$$

If the solute dissociates, a factor “ i ” accounts the actual number of particles: $\pi = i[^n/V]RT$

Example: Determination of Polymer Molecular Weight



- ◆ “Real-life” data for polyvinylchloride dissolved in cyclohexanone at 40 °C.
- ◆ What is the average molecular weight?
